

Comments by Rafael Repullo on

**Post-Cartel Price Persistence**  
**Disentangling Inertia from Expected Legal Costs**

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# Research question

- What is the effect on market prices of an antitrust cartel breakdown?
  - Do post-cartel prices revert to the pre-cartel prices?
  - What is the effect of the way in which antitrust authorities assess damages?
- Key reference: Harrington (2004): “Post-Cartel Pricing During Litigation”
  - Use of post-cartel prices in the assessment of damages creates a strategic incentive for firms to keep prices high

# Institutional setting

- Spanish automobile cartel during the period 2006-2013
  - 21 manufactures exchanged information that raised car prices
  - Cartel was uncovered by SEAT's whistleblowing in 2013
  - SEAT avoided the fines imposed on other cartel members in 2015

# Empirical strategy

- Build database matching identical automobile models sold in Spain and Germany
  - Sample period 1998-2019 (including pre-cartel, cartel, and post-cartel prices)
  - Net out all taxes, so differences in taxation do not distort the results
- Estimated equations
  - Model 1: DiD of the average Spain-Germany price gap
  - Model 2: DiD of year-by-year price gap

# Main results

- Cartel participation significantly increased prices (by about 17%)
  - Post-cartel prices indicate incomplete reversion toward pre-cartel prices
  - How can one explain this result?
- Two hypotheses
  - Shift from explicit to tacit collusion
  - Harrington's legal cost channel
- Use post-cartel differential pricing of whistleblower and other cartel members
  - Before antitrust decision (2013-2015): price inertia (or tacit collusion?)
  - After antitrust decision (2015-2019): legal cost channel

## **Some comments (i)**

- Paper addresses important issue with a well-designed empirical strategy
  - Construction of database seems major undertaking
- Not clear how to interpret pricing behavior before antitrust decision (2013-2015)
  - Lowering prices could be a ‘smoking gun’ for antitrust authority
  - I would focus on the results after antitrust decision (2015-2019)
  - Provide support for Harrington’s legal cost channel

## Some comments (ii)

- References to a ‘competitive benchmark’ are unwarranted
  - Manufacturers sell differentiated products
  - This naturally gives them market power
- One important endogeneity concern in the analysis
  - Why did SEAT act as whistleblower?
  - A decision potentially correlated with pricing behavior in post-cartel period

# This discussion

- Illustrate Harrington's legal cost channel with a simple parametric example
  - Model of Bertrand competition with differentiated products
  - Two heterogeneous firms
- Compare the following equilibrium outcomes
  - Pre-cartel Nash equilibrium
  - Joint profit maximization
  - Collusive equilibrium
  - Post-cartel Nash equilibrium
  - Post-cartel Nash equilibrium with whistleblowing firm



# Model setup

- Two firms (1 and 2) with inverse demand functions

$$q_1(p_1, p_2) = \alpha_1 - \beta p_1 + \gamma p_2$$

$$q_2(p_1, p_2) = \alpha_2 - \beta p_2 + \gamma p_1$$

- The corresponding profit functions are

$$\pi_1(p_1, p_2) = (p_1 - c_1)q_1$$

$$\pi_2(p_1, p_2) = (p_2 - c_2)q_2$$

→  $c_1$  and  $c_2$  are the constant marginal costs of firms 1 and 2

- Parametric assumptions:  $\alpha_1 = 1$ ,  $\alpha_2 = 3$ ,  $\beta = 2$ ,  $\gamma = 1$ ,  $c_1 = 1$ , and  $c_2 = 2$

→ Firm 1 is the low-cost firm

# Nash equilibrium

- The Bertrand-Nash equilibrium is obtained by solving

$$\begin{aligned} \max_{p_1} \pi_1(p_1, p_2) \\ \max_{p_2} \pi_2(p_1, p_2) \end{aligned}$$

- The corresponding FOCs give a system of two linear equations whose solution is

$$\begin{aligned} p_1 &= 1.26 & q_1 &= 0.53 & \pi_1 &= 0.14 \\ p_2 &= 2.07 & q_2 &= 0.13 & \pi_2 &= 0.01 \end{aligned}$$

→ Firm 1 sells more cars at a lower price with higher profits

# Joint profit maximization

- Under joint profit maximization the firms solve

$$\max_{(p_1, p_2)} [\pi_1(p_1, p_2) + \pi_2(p_1, p_2)]$$

- The corresponding FOCs give a system of two linear equations whose solution is

$$\begin{array}{lll} p_1 = 1.33 & q_1 = 0.50 & \pi_1 = 0.17 \\ p_2 = 2.17 & q_2 = 0 & \pi_2 = 0 \end{array}$$

→ Unless we allow for side payments firm 2 will be worse off (zero profits)

## Pareto frontier (i)

- What could firms do (in the absence of side payments)?
  - Construct the Pareto frontier
  - Choose Nash bargaining outcome on the frontier

## Pareto frontier (ii)

- The Pareto frontier in the  $(\pi_1, \pi_2)$  space is obtained by solving

$$\begin{aligned} & \max_{(p_1, p_2)} \pi_2(p_1, p_2) \\ & \text{subject to } \pi_1(p_1, p_2) \geq \bar{\pi}_1 \end{aligned}$$

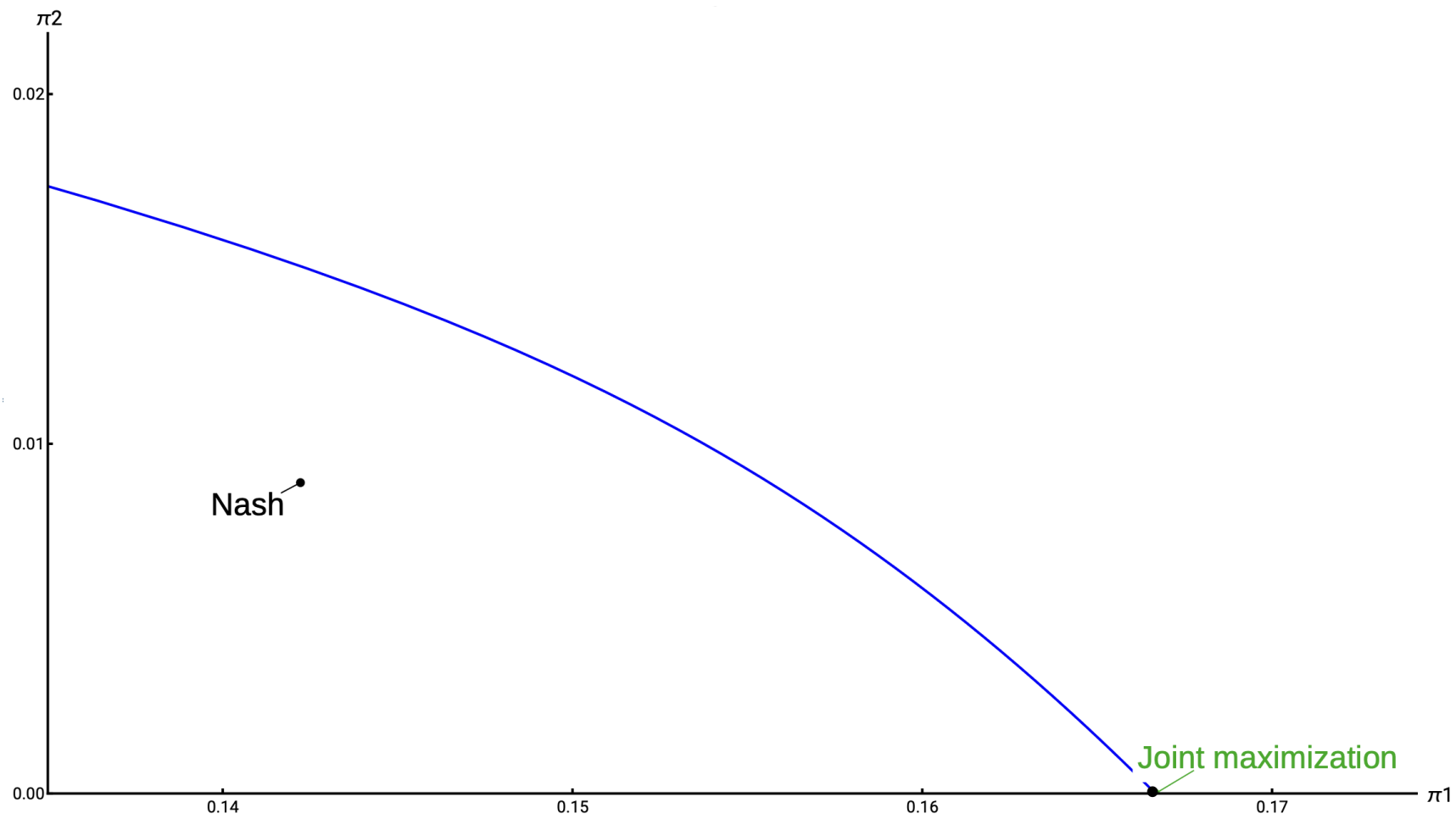
- The corresponding FOCs give a system of two linear equations whose solution is

$$\begin{array}{lll} p_1(\lambda) & q_1(\lambda) & \pi_1(\lambda) = \bar{\pi}_1 \\ p_2(\lambda) & q_2(\lambda) & \pi_2(\lambda) \end{array}$$

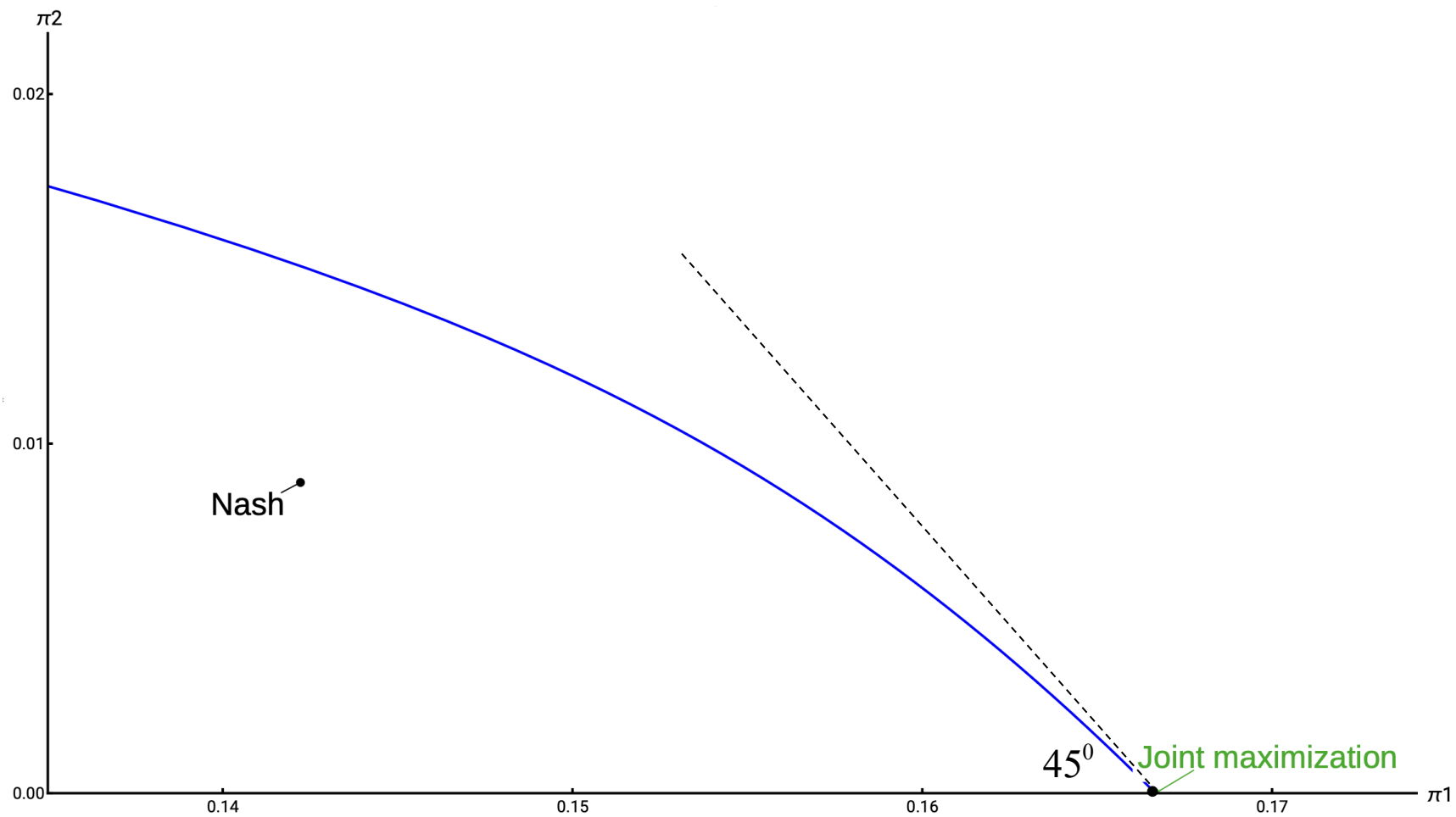
→  $\lambda$  is the Lagrange multiplier associated with the constraint (a function of  $\bar{\pi}_1$ )

→  $\lambda = 1$  corresponds to the joint profit maximization outcome

# Pareto frontier



# Pareto frontier



## Nash bargaining outcome

- The bargaining outcome (with equal bargaining weights) is obtained by solving

$$\max_{\lambda} [\pi_1(\lambda) - \pi_1^B][\pi_2(\lambda) - \pi_2^B]$$

→  $\pi_1^B$  and  $\pi_2^B$  are the firms' profits in the initial Bertrand-Nash equilibrium

→ In case of disagreement firms revert to the original noncooperative outcome

- The corresponding FOCs give a system of two linear equations whose solution is

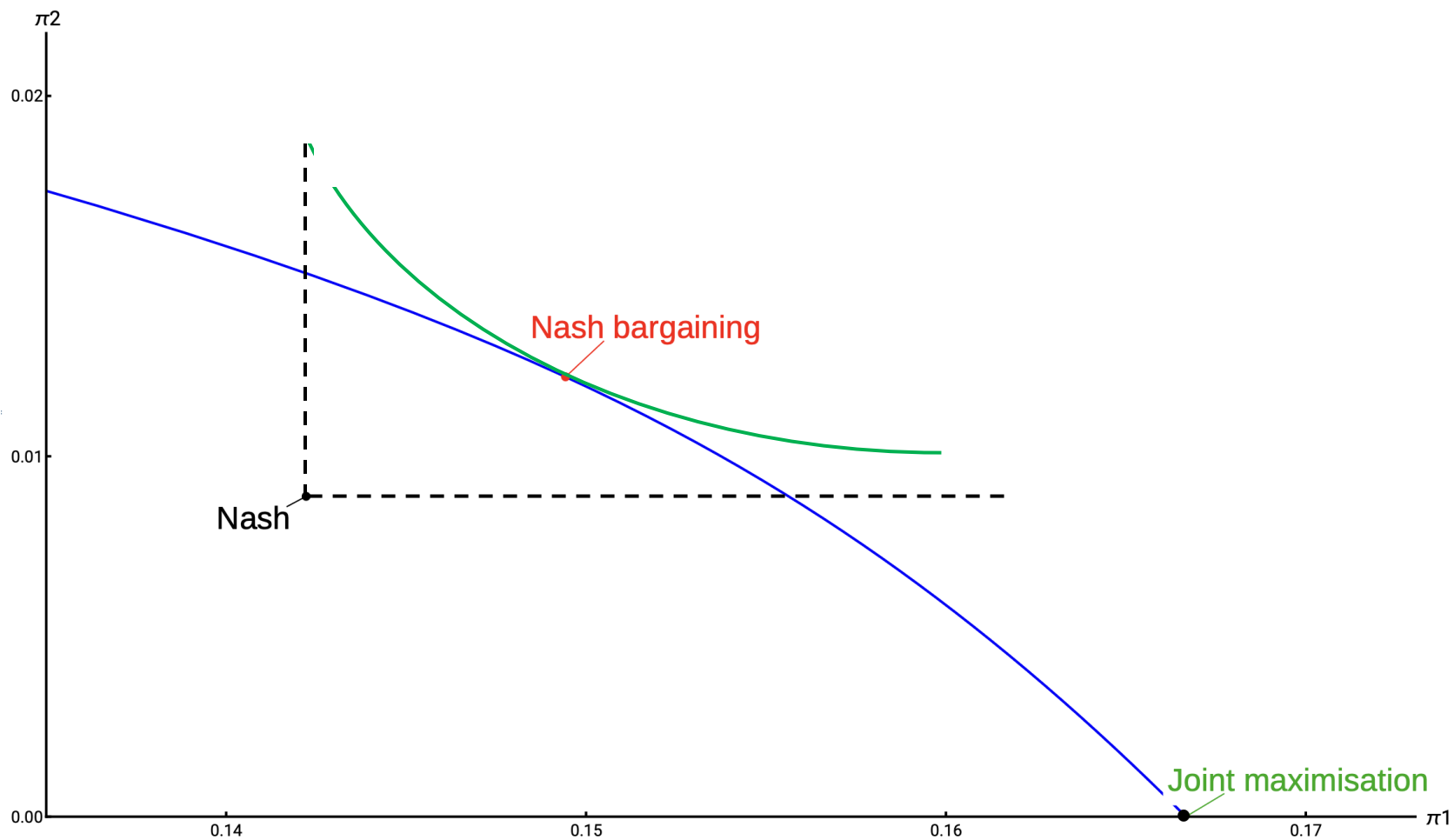
$$p_1 = 1.35 \quad q_1 = 0.42 \quad \pi_1 = 0.15$$

$$p_2 = 2.13 \quad q_2 = 0.10 \quad \pi_2 = 0.01$$

→ Both firms are better off than in the original noncooperative outcome



# Nash bargaining outcome



## Post-cartel fines

- The profit functions now include fines set by antitrust authority

$$\pi_1(p_1, p_2) = (p_1 - c_1)q_1 - \tau(p_1^C - p_1)q_1^C$$

$$\pi_2(p_1, p_2) = (p_2 - c_2)q_2 - \tau(p_2^C - p_2)q_2^C$$

- Super-index  $C$  denotes prices and quantities in collusive outcome
- New term is assessment of damages associated with firms' collusion
- New term is increasing in the post-cartel price
- Incentive for firms to keep prices high

## Post-cartel Nash equilibrium

- The Bertrand-Nash equilibrium is obtained by solving

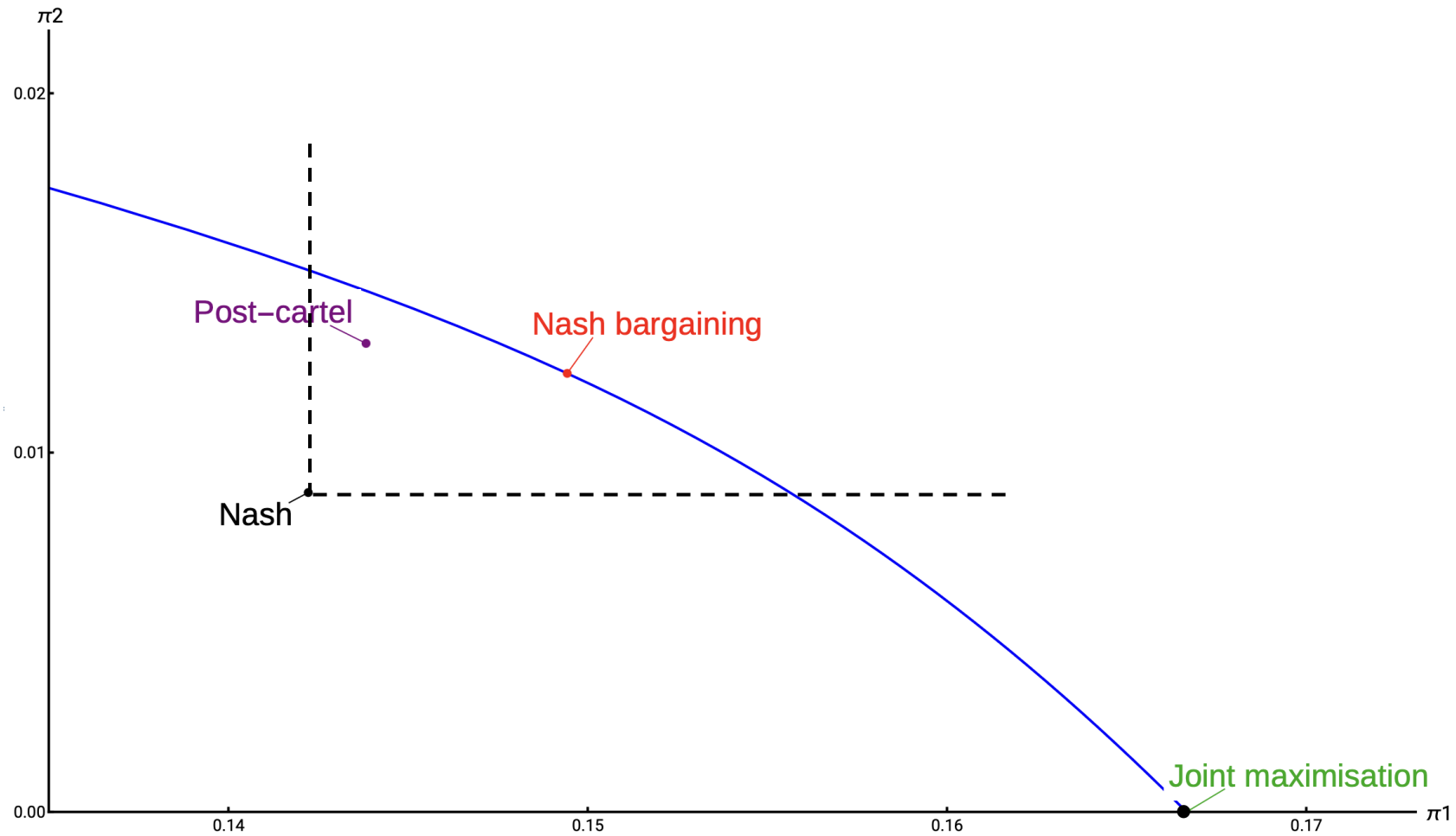
$$\begin{aligned} \max_{p_1} \pi_1(p_1, p_2) \\ \max_{p_2} \pi_2(p_1, p_2) \end{aligned}$$

- The corresponding FOCs give a system of two linear equations whose solution is

$$\begin{array}{lll} p_1 = 1.33 & q_1 = 0.44 & \pi_1 = 0.14 \\ p_2 = 2.09 & q_2 = 0.14 & \pi_2 = 0.01 \end{array}$$

→ Prices are higher than in the initial Nash equilibrium

# Post-cartel Nash equilibrium



# Post-cartel Nash equilibrium with leniency for firm 1

- The profit functions only include a fine for firm 2

$$\pi_1(p_1, p_2) = (p_1 - c_1)q_1$$

$$\pi_2(p_1, p_2) = (p_2 - c_2)q_2 - \tau(p_2^C - p_2)q_2^C$$

→ Leniency means that the whistleblower is pardoned the fine

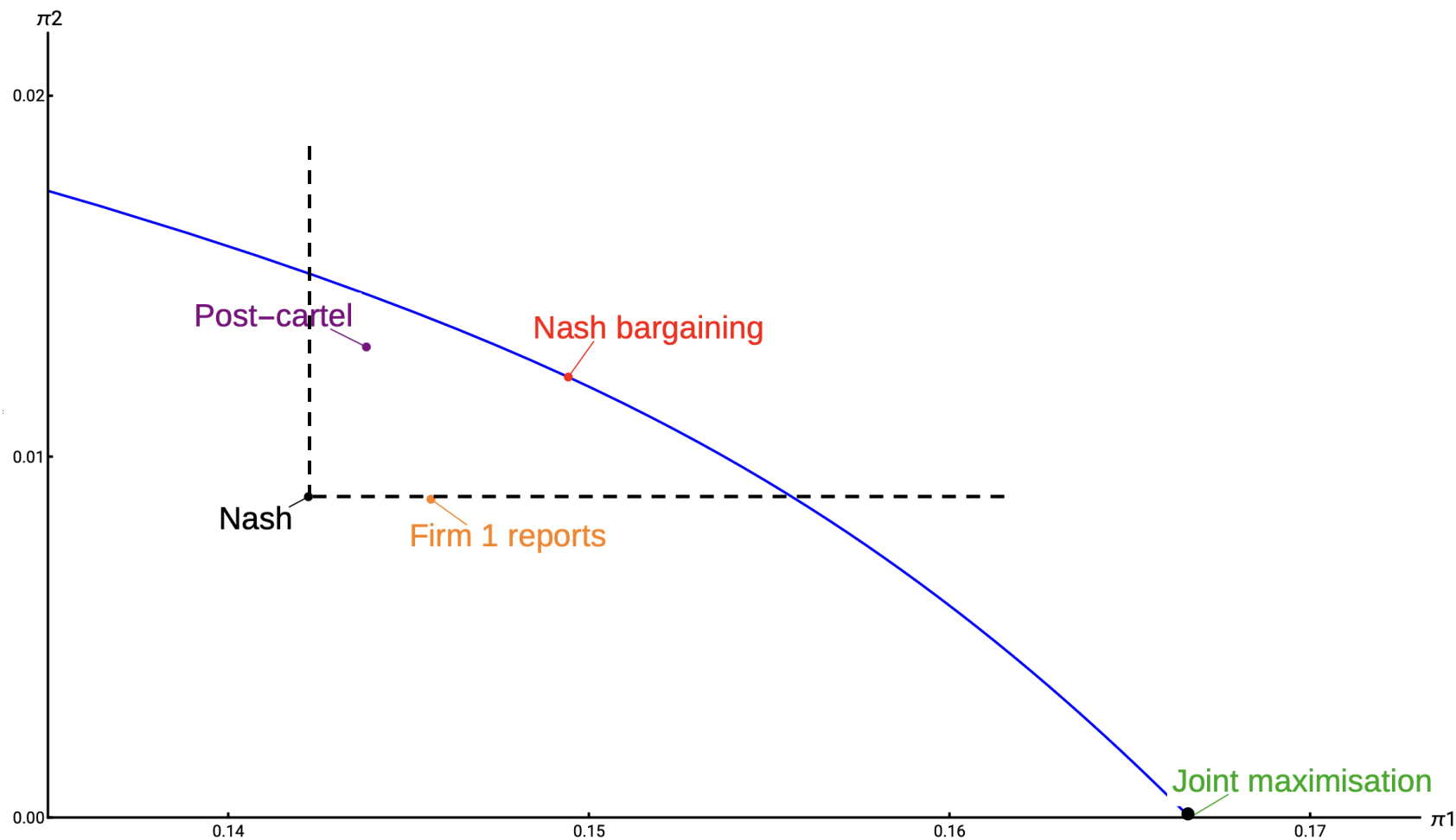
- Corresponding Bertrand-Nash equilibrium implies

$$p_1 = 1.27 \quad q_1 = 0.54 \quad \pi_1 = 0.15$$

$$p_2 = 2.08 \quad q_2 = 0.11 \quad \pi_2 = 0.01$$

→ Firm 1 is better off than in the post-cartel equilibrium (without leniency)

# Post-cartel Nash equilibrium with leniency for firm 1



# Summary of numerical results

Percentage changes with respect to pre-cartel Nash equilibrium

|                         | $p_1 - c_1$ | $p_2 - c_2$ | $q_1$ | $q_2$ | $\pi_1$ | $\pi_2$ |
|-------------------------|-------------|-------------|-------|-------|---------|---------|
| Collusion               | 32%         | 93%         | -20%  | -29%  | 5%      | 37%     |
| Post-cartel             | 22%         | 40%         | -17%  | 5%    | 1%      | 46%     |
| Post-cartel with 1's w. | 1%          | 19%         | 1%    | -17%  | 2%      | -1%     |

# Concluding remarks

- Paper would profit from adding theoretical framework
- Numerical example used arbitrary parameter values
  - Could be improved by matching data from the empirical analysis
  - Model has eight parameters:  $\alpha_1, \alpha_2, \beta_1, \beta_2, \gamma_1, \gamma_2, c_1, c_2$
  - Plus firms' bargaining power parameter
  - Could do much better on the numerical front