# Competitive Capture of Public Opinion

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- Many actors are interested in influencing public opinion
  - Classical example: political capture of media by government
- But SIG interest playing out over media coverage is much more pervasive
  - Industrial groups versus activists when covering climate, biodiversity and pollution issues (Oreskes and Conway 2011)
  - **Banks** versus **Southern debtors** in narrative over European Debt Crisis (Durante et al 2021)
  - Car manufacturers versus consumer advocacy groups over car recalls (Beattie et al 2021)

- Most of the empirical evidence we have describes biased coverage of issues in traditional media
- But many other information sources to be captured:
  - Social media
  - Scientific white papers
  - Religious leaders

- Presumably, SIG influence public opinion because public opinion influences/constrains policy
- Study of SIG and Government mature area
  - Cheap talk models: correlated preferences
  - Exchanges of money for policy
- Influencing Public Opinion presents a different scenario
  - Multiple Channels
  - Exchanges of **money for coverage**. But:
    - Coverage does not directly enter preferences
    - Objective is the Court of Public Opinion
    - Need to model chain of transmission

• Study of SIG capturing information sources

- What news do captured information sources publish?
- How do rational citizens factor in possible pressure from SIG?
- Do countervailing pressures cancel each other?
- How do SIG distribute their pressure when there is a plurality of information channels?

- We set up a general equilibrium model with:
  - Rational viewers with heterogeneous priors.
  - Multiple information sources
  - Two opposite SIGs exert pressure ("capture") on outlets
  - No commitment to:
    - capture effort by SIGs
    - editorial policy by information sources

# **This Paper**

- Novel supply-side implications on information source bias
  - Capture **polarizes** published news
  - Rational citizens discount informative reports
    - Opposite SIG do not cancel each other: resulting viewer skepticism hinders social learning
  - Capture efforts are strategic substitutes
    - Exacerbates horizontal differentiation in coverage
  - Citizens sort ideologically across sources
    - Differentiated coverage with segregated viewers most likely when SIG are interested in "firing up the base"
    - Higher demand for information can backfire

### **Related Literature**

- Media Capture by Government: Macmillan and Zoido (2004), Besley and Prat (2006), Gehlbach and Sonin (2014), Prat (2015)
- Media Capture by SIG: Petrova (2008), Corneo (2006), Prat (2018). Binary signal, single SIG, homogeneous priors
- Media Differentiation in Slant:
  - Supply side with Motivated actors: Baron (2006), Anderson and McLaren (2012)
  - Demand side (rational viewers): Gentzkow and Shapiro (2006), Chan and Suen (2008), Sobbrio (2014)
  - Demand side (psychological utility): Mullainathan and Shleifer (2005), Bernhardt et al (2008).

### **Features of Model**

- Underlying binary state of the world  $\theta \in \Theta = \{-1, 1\}$ 
  - Fex: "should I worry about global warming?"
- Continuum of citizens with heterogeneous beliefs  $p = \Pr[\theta = 1]$ 
  - Distribution of priors:  $F_p(p)$  mass of viewers with prior at most p.
- n information sources cover an issue which is informative about  $\theta$
- Two SIG interested in opposite coverage:
  - Left SIG wants public to update towards state -1
  - Right SIG wants public to update towards state 1
- SIG exert covert pressure on each source to capture its coverage of the issue
- If pressure successful, SIG can convey **any** message
- Allow citizen choice of source in later part of talk

# Plan of Talk

- Endogenous Capture
  - Monopoly Information Source
  - Multiple Information Sources
  - Endogenous Source Choice
- Conclusions

# Model: Honest Coverage

• Source receives an informative report  $m \in \mathcal{M} \subset \mathbb{R}$  with

$$\Pr[m|\theta = i] = p_i(m), i \in \{-1, 1\}$$

• Order messages m according to likelihood ratio

$$\lambda_H(m) = \frac{p_1(m)}{p_{-1}(m)}$$

- Distribution of messages  $F_{H,\theta}(\lambda) = \Pr[\lambda_H(m) \le \lambda | \theta]$ 
  - Prior  $p: F_H(\lambda; p) = pF_{H,1}(\lambda) + (1-p)F_{H,-1}(\lambda)$



### Model: Honest Coverage

- Messages have a commonly understood meaning
- If source is known to be honest, message *m* induces posterior  $\mu_H(m;p) = \frac{p_1(m)p}{p_1(m)p + p_{-1}(m)(1-p)} = \frac{1}{1 + \frac{1}{\lambda_{IJ}(m)} \frac{1-p}{n}}$
- Because citizens disagree on priors, they land on different posteriors: but they agree on how to update

# Model: Sender's Type

- However, there may be capture:
- Sender S can be of three types: honest, L-biased, R-biased
  - Honest sender is non-strategic and reveals *m* truthfully
  - L-biased sender is captured by L-SIG
  - **R-biased sender** is captured by R-SIG

# Model: Sender's Type

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  - R-biased sender is captured by R-SIG
- Strategic R(L)-SIG wants posteriors  $\mu$  as high (low) as possible
  - $v_R(\mu)$  strictly increasing.
  - $v_L(\mu)$  strictly decreasing.
  - Facing a distribution of viewers' priors  $F_p(p)$ , indirect utility

$$V_i(m) = \int_0^1 v_i(\mu(m;p)) dF_p(p)$$

- Biased senders can send any message  $m \in \mathcal{M}$ 
  - Message space is type-independent
  - Internal reports are non-certifiable

### Model: Competitive Capture

- Covertly devoting costly resources raises capture probability
  - R-SIG selects pressure r, L-SIG selects pressure l.
  - Linear contest:  $r = \Pr[S = R]$ ,  $l = \Pr[S = L]$ , r + l < 1.
    - Generalizable to  $\pi_R(r, l)$  concave
  - Costs of pressure:  $C_R(r)$ ,  $C_L(l)$  strictly increasing.
  - Usual conditions:  $C'_{i}(x) > 0$ ,  $C''_{i}(x) > 0$ ,  $\lim_{x \to 0} C'_{i}(x) = 0$



# Model: Timing

- Timing:
  - Simultaneously, SIGs select capture efforts r and l
  - Nature decides status  $S \in \{H, R, L\}$  of the source
  - If captured, SIG decides which  $m \in \mathcal{M}$  to publish
  - If honest, source conveys *m* received
  - Citizens update beliefs and payoffs are realized
- Look for PBE of this game.

## **Communication Equilibria**

#### **Proposition (Communication Equilibria)**

Fix *r* and *l* with r + l < 1 and let  $\tau_R^*(m)$  ( $\tau_L^*(m)$ ) be the prob *R*biased (*L*-biased) media sends message *m*. There are unique  $\overline{\lambda} = \lambda_H(\overline{m}^*)$  and  $\underline{\lambda} = \lambda_H(\underline{m}^*)$  such that for every communication equilibrium we have:

- $m \in supp(\tau_R^*)$  iff  $\lambda_H(m) \ge \overline{\lambda}$ ,  $m \in supp(\tau_L^*)$  iff  $\lambda_H(m) \le \underline{\lambda}$
- The equilibrium likelihood ratio of message m satisfies

$$\lambda^{*}(m) = \begin{cases} \frac{\lambda}{\lambda} \text{ if } m \leq \underline{m}^{*} \\ \lambda_{H}(m) \text{ if } \underline{m}^{*} < m < \overline{m}^{*} \\ \overline{\lambda} \text{ if } m \geq \underline{m}^{*} \end{cases}$$

• The maximum equilibrium likelihood ratios  $\underline{\lambda}$  and  $\overline{\lambda}$  satisfy

$$\int_{\overline{\lambda}}^{\infty} (\lambda - \overline{\lambda}) dF_{H,-1}(\lambda) = \frac{r}{1 - l - r} (\overline{\lambda} - 1)$$
$$\int_{0}^{\underline{\lambda}} (\underline{\lambda} - \lambda) dF_{H,-1}(\lambda) = \frac{l}{1 - l - r} (1 - \underline{\lambda})$$

#### **Published News of Captured Sources**

•  $m \in supp(\tau_R^*)$  iff  $\lambda_H(m) \geq \overline{\lambda}$ ,  $m \in supp(\tau_L^*)$  iff  $\lambda_H(m) \leq \underline{\lambda}$ 



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### Capture leads to more polarized reports



### Capture leads to citizen skepticism

• Informational content of extreme messages is equalized

$$\lambda^{*}(m) = \begin{cases} \frac{\lambda}{\lambda} \text{ if } m \leq \underline{m}^{*} \\ \lambda_{H}(m) \text{ if } \underline{m}^{*} < m < \overline{m}^{*} \\ \overline{\lambda} \text{ if } m \geq \underline{m}^{*} \end{cases}$$

• Citizens censor informativeness of messages



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Particularly bad for learning: most informative messages are jammed.

 $f_{\lambda^*}(\lambda;p)$ 



# **Comparative Statics of Published Reports**

#### Lemma (Comparative Statics on Informativeness of Lies)

For a communication equilibrium  $\overline{\lambda} = \lambda_H(\overline{m}^*)$  and  $\underline{\lambda} = \lambda_H(\underline{m}^*)$ 

- $\overline{\lambda}$  and  $\overline{m}^*$  are decreasing in r and  $l; \underline{\lambda}, \underline{m}^*$  increasing in l and r
- $\bar{\lambda}$ ,  $\bar{m}^*$ ,  $\underline{\lambda}$ ,  $\underline{m}^*$  are invariant in  $F_p$
- $\overline{\lambda}$  increases and  $\underline{\lambda}$  decreases if honest outlet is Blackwell more informative

#### Marginal Benefit of Capture

• What is the marginal benefit to R-SIG from increasing capture when citizens expect capture levels  $\tilde{r}, \tilde{l}$ ?

$$B_R(r;\tilde{r},\tilde{l}) = V_R(\bar{\lambda}) - \mathbb{E}_H[V_R(\lambda);p_R] = \int_{\underline{\lambda}}^{\lambda} V_R'(\lambda)F_H(\lambda;p_R)d\lambda$$

- Increasing capturing effort by R-SIG replaces honest coverage by message that is always interpreted as  $\bar{\lambda}$ 



- How does increased L-capture change the returns to R-capture?
  - regardless of priors, and source informativeness, we have

$$\frac{\partial B_R(r;\tilde{r},\tilde{l})}{\partial \tilde{l}} = V_R'(\bar{\lambda})F_H(\bar{\lambda};p_R)\frac{\partial \bar{\lambda}}{\partial l} - V_R'(\underline{\lambda})F_H(\underline{\lambda};p_R)\frac{\partial \underline{\lambda}}{\partial l}$$





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$$\tilde{l} \uparrow$$

$$f_{\lambda_R^*}(\lambda;p)$$

J

λ

λ

 $\frac{\lambda'}{\lambda'} \frac{\bar{\lambda}'}{\lambda'} \qquad \lambda$ Viewers more skeptical of unfavorable messages (L-lies now more favorable to R)

 $f_{\lambda_{H}^{*}}(\lambda;p)$ 

- How does increased L-capture change the returns to R-capture?
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$$\frac{\partial B_R(r;\tilde{r},\tilde{l})}{\partial \tilde{l}} = V_R'(\bar{\lambda})F_H(\bar{\lambda};p_R)\frac{\partial \bar{\lambda}}{\partial l} - V_R'(\underline{\lambda})F_H(\underline{\lambda};p_R)\frac{\partial \underline{\lambda}}{\partial l}$$

 $\tilde{l}$   $\uparrow$ 



- How does increased L-capture change the returns to R-capture?
  - regardless of priors, and source informativeness, we have  $\partial B_R(r; \tilde{r}, \tilde{l}) = \sqrt{2} \sqrt{2} \sqrt{2}$

$$\frac{\partial B_R(r;\tilde{r},\tilde{l})}{\partial \tilde{l}} = V_R'(\bar{\lambda})F_H(\bar{\lambda};p_R)\frac{\partial \bar{\lambda}}{\partial l} - V_R'(\underline{\lambda})F_H(\underline{\lambda};p_R)\frac{\partial \underline{\lambda}}{\partial l} \le 0$$

Capturing efforts are strategic substitutes!

 This insight is robust to the presence of an arbitrary fraction of naïve viewers

## **Strategic Substitutes**

#### **Proposition (Strategic Substitutes)**

Let  $\pi_i(r, l)$  be the probability that an i-sender captures the news outlet given effort levels r and l with  $i \in \{H, R, L\}$  and suppose that capture by one sender weakly decreases both the probability that the message is generated by the other sender and by an honest source. If

$$\frac{\partial^2 \pi_i}{\delta r \delta l} = 0,$$

then  $B_R(r; \tilde{r}, \tilde{l})$  decreases in  $\tilde{l}$  and  $B_L(l; \tilde{r}, \tilde{l})$  decreases in  $\tilde{r}$ .

Example:

- $\pi^R(r,l) = r \eta l$
- $\pi^L(r,l) = l \eta r$

# Audience Priors and Incentives to Capture

• SIGs capture incentives depend on expected audience.

$$V_i'(\lambda) = \int_0^1 \partial v_i (\mu(\lambda; p)) / \partial \lambda dF_p(p)$$

- An R-SIG (L-SIG) wants to *fire up the base* if  $\partial v_i(\mu(\lambda; p))/\partial \lambda$  increases (decreases) with the prior *p*.
- If the opposite is true, then SIG wants to moderate the opposition
- We show this depends on curvature of  $v_i$ :
  - If preferences concave enough: moderate the opposition
  - If preferences convex enough: fire up the base

**Lemma (Firing-up-the-base):** Suppose  $v_R(\mu) = g_R\left(\frac{\mu}{1-\mu}\right)$  and

 $v_L(\mu) = g_L\left(\frac{1-\mu}{\mu}\right)$  with  $g_i$  increasing and convex. Then both SIGs want to fire up their base.

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### **Multiple Sources**

- *n* (possibly heterogeneous) information sources
  - SIGs exert vector of pressure  $r_j, l_j, j \in \{1, ..., n\}$
  - Costs of pressure  $C_R(\sum_{j=1}^n \beta_R^j r_j), C_L(\sum_{j=1}^n \beta_L^j l_j)$



# **Multiple Sources**

- Sources can be heterogeneous *ex ante* 
  - Ease of capture  $\beta_R^j$  and  $\beta_L^j$
  - Informativeness if not captured  $(p_{-1}^{j}(m), p_{1}^{j}(m))$
  - Audience: prior distribution among citizens who watch it
- Strategic substitutes exacerbates differences across sources
  - Any cost/return reason that gives relative advantage to one SIG gets amplified
  - Because of general equilibrium considerations, these differences spread across the information source landscape:

# **Multiple Sources**

- Supply driven mechanism for differentiation in slant: if one source is dominated by your rival, other things equal, you want to go to the neutral source
  - Bezos bought the Washington Post, not Fox News

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# Endogenous Citizen choice of Source

- Allow citizens choice of source anticipating capture  $(r_i^*, l_i^*)$ .
  - Fraction  $1 \gamma$  of viewers sorted exogenously across outlets
  - Fraction  $\gamma$  viewers pick most informative channel to them



# **Citizens Choice of Source**

- Viewers who are interested in information endogenously sort according to ideology
  - Rightwing viewers need a credible low message to change *action*: no point watching media with a high  $\underline{\lambda}$
  - Leftwing viewers need a credible high message to change *action*: no point watching media with a low  $\overline{\lambda}$
- Partial sorting if degree of capture or precision of honest coverage not identical across outlets
- Similar as Suen(2004) but specific mechanism is very different:
  - We do not impose filtering
  - Value of media decreases for all viewers as capture increases

## **Polarized Media Landscape**

- Capturing efforts being strategic substitutes generates horizontal differentiation
- Viewer sorting:
  - Exacerbates differentiation if SIG want to fire up the base
  - Ameliorates differentiation if SIG want to demobilize the opposition

# Polarized Media Landscape

- Capturing efforts being strategic substitutes generates horizontal differentiation
- Viewer sorting:
  - Exacerbates differentiation if SIG want to fire up the base
  - Ameliorates differentiation if SIG want to demobilize the opposition
- Information landscape characterized by
  - very polarized coverage
  - segmented audiences

can be generated with **fully rational audiences** provided SIG are interested in firing up the base

#### **Demand for Information can Backfire!**

#### **Proposition (Viewers Sorting increases Polarization)**

Consider two media, A and B, and  $v_R(\mu) = g_R\left(\frac{\mu}{1-\mu}\right)$  and  $v_L(\mu) = q_R\left(\frac{\mu}{1-\mu}\right)$ 

 $g_L\left(\frac{1-\mu}{\mu}\right)$  with  $g_i$  increasing and convex. Both media have the same entertainment value. Fix an asymmetric equilibrium with  $\overline{\lambda}_A$  ( $\underline{\lambda}_B$ ) the highest (lowest) likelihood ratio in the R-dominated media outlet A (L-dominated media B). Suppose that citizen priors are such that their most informative source is ideologically aligned.

Then any increase in  $\gamma$  increases the degree of media polarization.

# Demand for Information can Backfire!

Intuition:

- Public split according to ideology (action absence news);
  - Viewers with p > 1/2 (right-leaning) choose to act, need strong evidence not to act
  - Viewers with p < 1/2 (left-leaning) do not act, need strong evidence to act
- SIG prefer to fire-up-their-base
- Increased sorting according to value of information:
  - Increases the prior distribution of right-captured media (in the FOSD sense) decreases it for left-leaning media.
  - This polarizes their respective bases and increases incentives to capture the respective outlet and abandon the other outlet
- If there was full differentiation to begin with: unambiguous reduction in information

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# Conclusions

- Pressure on information landscape: polarized reports but viewers' skepticism
- Symmetric pressure does not cancel and hurts social learning
- SIGs capture leads to ideologically more differentiated landscape
- Citizens sorting according to value of information may exacerbate capture (when SIGs seek to fire up their base) or dampen capture (when SIGs seek to demobilize opposition).
- Increased demand for information can exacerbate coverage polarization and reduce equilibrium informativeness of information landscape

# Thank You!